

# Primordial black holes from 5th forces

**Javier Rubio**

based on

F. Bezrukov, M. Pauly, J. Rubio, JCAP 1802 (2018) no.02, 040

L. Amendola, J. Rubio, C. Wetterich arXiv:1711.09915 (to appear in PRD RC)



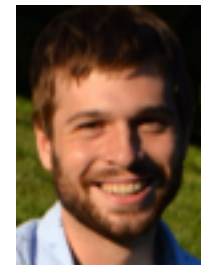
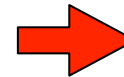
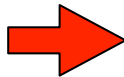
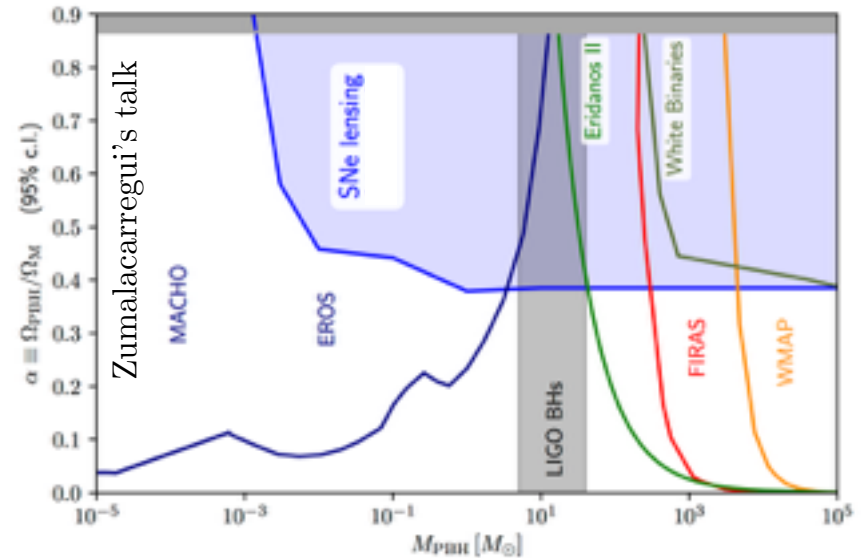
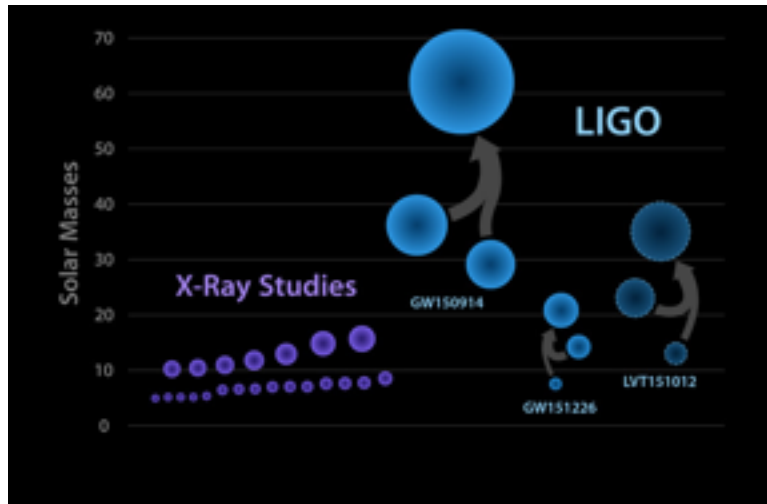
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# The revival of a rather old idea

LIGO observation of  $\mathcal{O}(10) M_{\odot}$

Dark Matter candidate



Whether or not DM is primarily made out of PBHs, it is interesting to know if any of the BHs LIGO detected are primordial

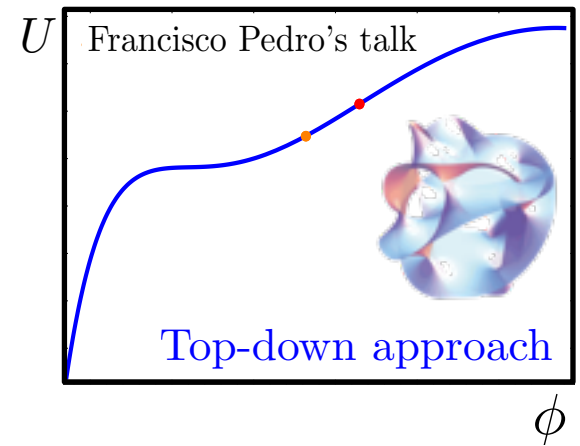
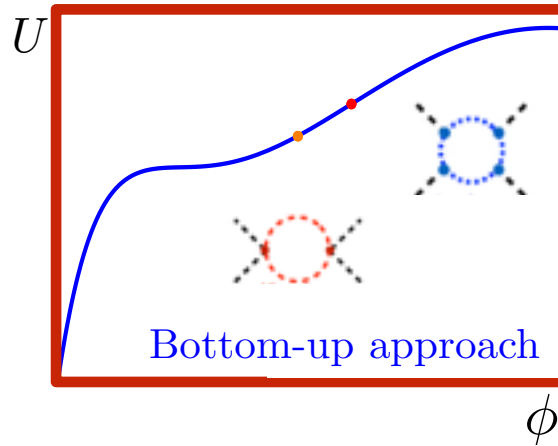
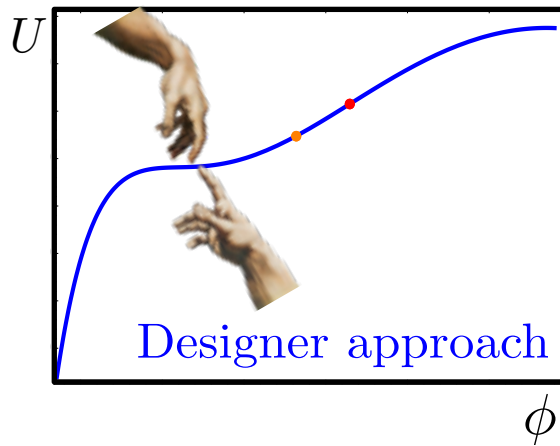
# PBH from inflation

Most PBH production mechanisms are based on the generation of a non-trivial power spectrum during inflation

$$\mathcal{P}_{\mathcal{R}} \sim \frac{H^2}{\epsilon} \quad \text{👁 ultra slow-roll}$$

During radiation domination an initially large ( $\delta \sim 0.5$ ) density perturbation can collapse to form a PBH with mass of order of the horizon mass

Requires highly fine-tuned potentials  
to generate the right enhancement at the right scales!



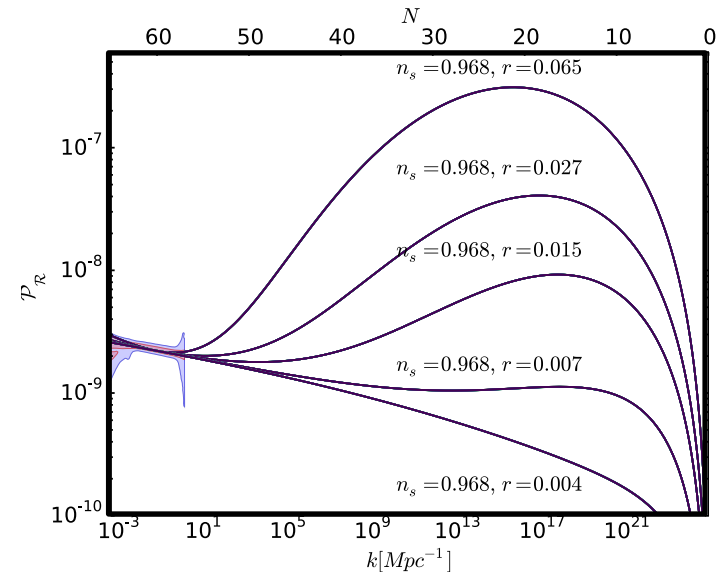
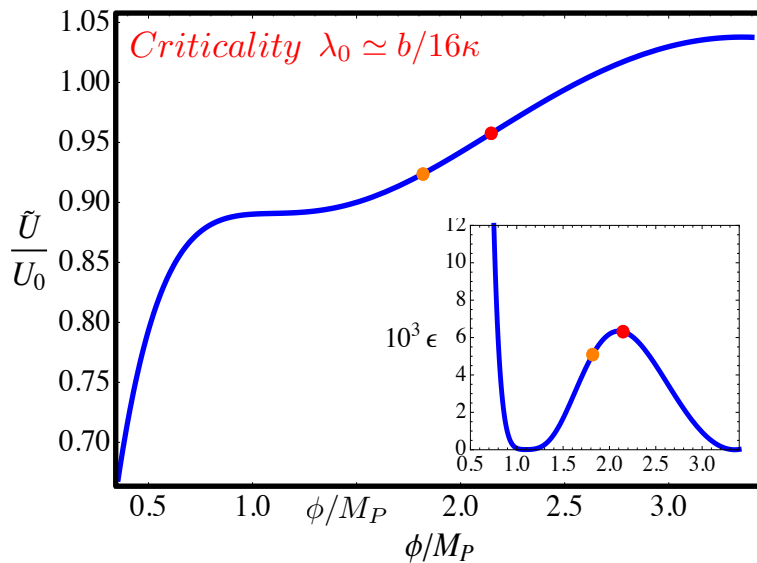
To generate PBH the spectrum should be enhanced by 7 orders of magnitude!

# Higgs inflation

$$\frac{\mathcal{L}}{\sqrt{-g}} = \frac{M_P^2 + \xi_h h^2}{2} R - \frac{1}{2}(\partial h)^2 - \frac{\lambda}{4}(h^2 - v_{EW}^2)^2$$

Einstein frame

$$U(\phi) = \frac{\lambda(\phi) M_P^4}{4\xi_h^2} \left(1 - e^{-\frac{\sqrt{2/3}\phi}{M_P}}\right)^2 \quad \text{with} \quad \lambda(\phi) = \lambda_0 + b \log^2 \left( \frac{\sqrt{\xi} F(\phi)}{\kappa M_P} \right)$$



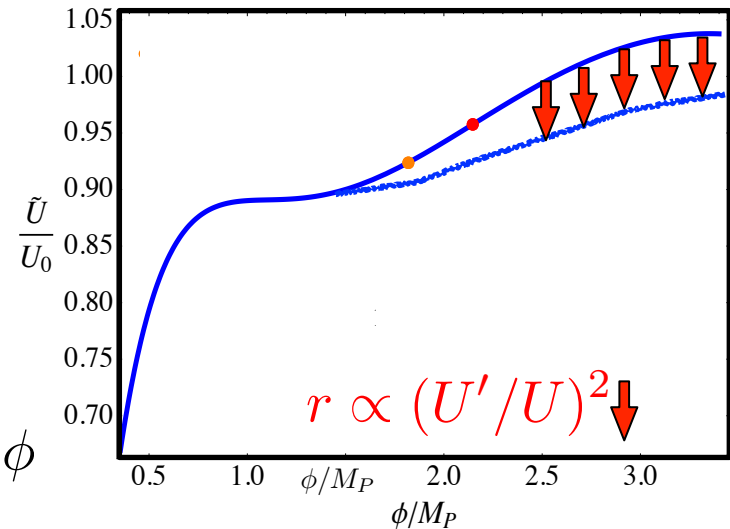
Larger peaks would be in conflict with CMB data

# The $\xi$ running trick

$$U(\phi) = \frac{\lambda(\phi) M_P^4}{4\xi_h^2} \left( 1 - e^{-\frac{\sqrt{2/3}\phi}{M_P}} \right)^2$$

$$\xi_h = \xi_0 + b_\xi \log(\phi/\mu)$$

Softens the potential growth at large  $\phi$



## PBH proposals

$$b_\xi \sim \mathcal{O}(10^{+2})!!$$

J. M. Ezquiaga, J. Garcia-Bellido, E. Ruiz Morales, Phys.Lett. B776 (2018) 345-349

G. Ballesteros, M. Taoso, Phys.Rev. D97 (2018) no.2, 023501

## Standard Model

$$b_\xi \sim \pm \frac{g^2}{16\pi^2} \xi_h \sim \mathcal{O}(10^{-2})$$

F. Bezrukov, M. Pauly, J. Rubio, JCAP 1802 (2018) no.02, 040

PBH generation requires unrealistic running

# An alternative paradigm

Long-range attractive interaction stronger than gravity



## Ingredients

1. A scalar field with a mass smaller than the Hubble rate in some cosmological epoch after the end of inflation
2. Neutral particles(s) not involving (repulsive) interactions and being stable on the relevant time scales.

$$S = \int d^4x \sqrt{-g} \left[ \frac{M_P^2}{2} R + \mathcal{L}_R - \frac{1}{2} \partial^\mu \phi \partial_\mu \phi - V(\phi) + i\bar{\psi} (\gamma^\mu \nabla_\mu - m(\phi)) \psi \right]$$

Even the Higgs field could do the job!

# Perfect fluid description

$$\dot{\rho}_\phi + 3H(\rho_\phi + p_\phi) = \frac{\beta}{M_P} (\rho_\psi - 3p_\psi) \dot{\phi}$$

$$\dot{\rho}_\psi + 3H(\rho_\psi + p_\psi) = -\frac{\beta}{M_P} (\rho_\psi - 3p_\psi) \dot{\phi}$$

The coupling  $\beta$  measures the dependence of the mass on the field

$$\beta(\phi) = -M_P \frac{\partial \ln m(\phi)}{\partial \phi}$$

Note that  $\beta$  can be rather large. For a renormalizable interaction

$$m(\phi)\bar{\psi}\psi = m_0\bar{\psi}\psi + g\phi\bar{\psi}\psi \quad \Rightarrow \quad \beta(\phi) = -g M_P/m(\phi)$$

A small coupling  $g$  can be largely overwhelmed by the ratio  $M_P/m(\phi)$

# Growth of fluctuations

$$\delta''_{\psi} + \left(1 + \frac{\mathcal{H}'}{\mathcal{H}} - \frac{\beta\phi'}{M_P}\right) \delta'_{\psi} - \frac{3}{2}(\underline{Y\Omega_{\psi}\delta_{\psi}} + \Omega_R\delta_R) = 0$$

$Y \equiv 1 + 2\beta^2$  Combined strength of the fifth force and gravity

Scaling solution in the  $\beta \gg 1$  limit

$$Y \approx 2\beta^2 \quad \begin{aligned} \Omega_{\psi} &= \frac{1}{3\beta^2} & \Omega_R &= 1 - \frac{1}{2\beta^2} \\ \Omega_{\phi} &= \frac{1}{6\beta^2} & \phi' &= M_P/\beta \end{aligned}$$

$$\delta''_{\psi} - \delta'_{\psi} - \delta_{\psi} = 0 \quad \rightarrow \quad \delta_{\psi} = \delta_{\psi,\text{in}} \left(\frac{a}{a_{\text{in}}}\right)^{\frac{1+\sqrt{5}}{2}}$$

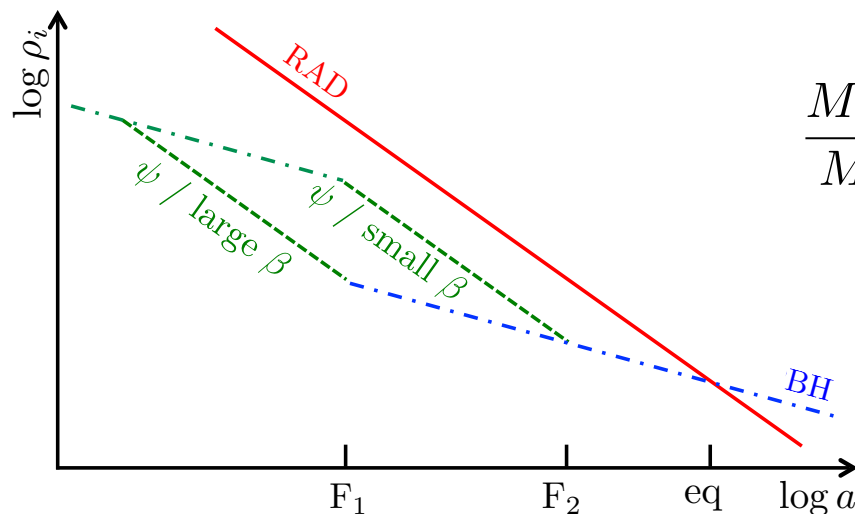
The initial spectrum can be completely standard!



# Black hole formation

Once formed PBH behave as NR matter

PBH remain stable even if the  $\psi$  particles outside them decay at a later stage



$$\frac{M_{\text{BH}}}{M_{\odot}} = \frac{c}{3\beta^2} \left( \frac{H_{\text{eq}}}{H_{\text{F}}} \right)^2 = \frac{c}{27\beta^6 \Omega_{\text{BH}}^2(a_{\text{eq}})}$$

with  $c \equiv \frac{M_{\text{eq}}}{M_{\odot}} = 2.7 \times 10^{17}$

Black hole dark matter?

$$\Omega_{\text{BH}}(a_{\text{eq}}) = 1/2 \quad M_{\text{max}} \simeq \left( \frac{585}{\beta} \right)^6 M_{\odot}$$

$\mathcal{O}(10)M_{\odot}$  PBH require a scalar field with mass  $\lesssim 10^{-14}$  eV. Dark energy?

# Conclusions

- ✓ Most PBH generation mechanisms require highly fine-tuned inflationary potentials
- ✓ They typically involve non-minimal coupling with unrealistic runnings

**An alternative: PBH from 5th forces during RD**

- ✓ Ingredients:
  1. Scalar field with a mass smaller than the Hubble rate
  2. Neutral particle(s) not involving (repulsive) interactions
  3. Attractive interaction stronger than gravity
- ✓ Advantages:
  1. Natural and ubiquitous ingredients of BSM extensions
  2. The initial power spectrum can be completely “standard”
- ✓ To be quantitative, a more refined analysis is needed:
  1. Reconsider spherical collapse in the presence of 5th force
  2. Determine critical density of collapse
  3. Account for merging & accretion effects
  4. Involved BSM scenarios may lead to non-monochromatic spectra

# A plethora of scenarios

Scalar/Mediator field  $\phi$

Higgs field



Early BH formation



Smaller PBH masses

Seesaw scalar triplet

Cosmon/quintessence field



Late BH formation



Larger PBH masses

Heavy particles  $\psi$

Fermion (e.g seesaw heavy neutrino)

stable (e.g. DM candidate)



Scalar

Decay after PBH formation